

Discussion Instructor: Abbott Allen

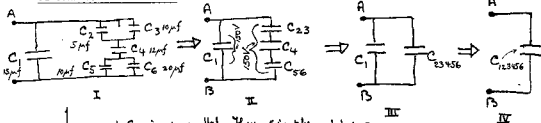
Brumbaugh Bruno Ho Gehrke

Problem No.

Kaipa Rino B. Wheeler Sewell

2

BE SURE TO SHOW ALL WORK!



Breakdown of points:

Part (a) total points 9.

7 for setting up eqn. (A).

1 for Sig. Fig. and 1 for algebra.

C_2 and C_3 in parallel. They simply add: $C_{23} = C_2 + C_3$.
 C_5 and C_6 in parallel. They simply add: $C_{56} = C_5 + C_6$.
 Now you get configuration II. C_{23} , C_4 and C_{56} in series. The effective capacitance corresponding to these three capacitors is given by:
 $\frac{1}{C_{23456}} = \frac{1}{C_{23}} + \frac{1}{C_4} + \frac{1}{C_{56}}$. Now you get configuration III, where C_1 and C_{23456} are in parallel. The last two capacitors add up to give $C_{123456} = C_1 + C_{23456}$, as in configuration IV.

$$(A) \therefore C_{123456} = C_1 + \left[\frac{1}{\frac{1}{C_{23}} + \frac{1}{C_4} + \frac{1}{C_{56}}} \right]^{-1} = 20.45 \mu\text{f.}$$

Sig. Fig.

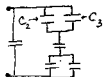
Method I: Voltage across A, B is 150V. This means voltage across C_1 is 150V. Also, voltage across C_{23} , C_4 and C_{56} is 150V. Therefore, charge on C_{23} or C_4 or C_{56} is $C_{23456} V = 5.45 \times 150$ ($\mu\text{f. V}$) = $818 \mu\text{C}$.
 Sig. Fig.

Method II: Alternatively, Find the total charge in the circuit, which is, $q_{\text{total}} = C_{123456} V = 20.45 \times 150$ ($\mu\text{f. V}$) = $3068 \mu\text{C}$. Then find charge on C_1 , $q_1 = C_1 V = 15 \times 150$ ($\mu\text{f. V}$) = $2250 \mu\text{C}$. Therefore, charge on C_{23} or C_4 or C_{56} is $3068 - 2250 = 818 \mu\text{C}$.
 [Recall that when the capacitors are in series, they have the same charge].

(b)

Part (b) total points 8.

2 for correct approach, 1 for Sig. Fig. answer to part



Refer to configuration II above. The total voltage across C_{23} , C_4 , C_{56} is 150V, but the voltages across each of them will be different, i.e. Voltage across C_{23} is not necessarily the same as that across C_4 . But the voltage across C_2 and C_3 will be the same, since they are in parallel. From (b) above, $q_2 + q_3 = 818 \mu\text{C}$. $\therefore C_2 (V_{23}) + C_3 (V_{23}) = 818 \mu\text{C}$. $\therefore V_{23} = 54.5 \text{ V}$.

(c)

Same as part (b).